

# Quadratic Application: (Factoring)

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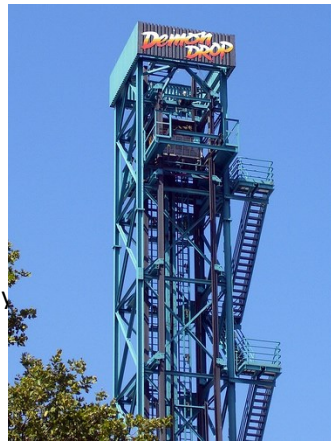
approximates this ride is  $h = -16t^2 + 64t + 60$ , where  $h$  is the height in feet and  $t$  is the time in seconds. About how many seconds does it take for riders to drop 60 feet?



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At a swim meet, Janet dives from a diving board that is 48 feet high. Her position above the water is represented by the equation  $h(t) = -16t^2 + 24t + 40$ , where  $t$  represents time in seconds and  $h(t)$  represents height in feet.

After how many seconds does Janet enter the water? ( $y=0$ )

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